during auroral displays，i．e．decrease of geo－ magnetic holizontal intensity，increase in fEs due to anomalous ionization in the lower iono－ sphere and auroral intensity，are examined and proved to be consistent with each other．As an example，relation of number density of electrons with auroral luminosity $\lambda 5577$ is shown in Fig．2，together with the same kind of rela－ tion with luminosity of Nitrogen negative groups obtained by Oмноцт ${ }^{11}$ ．
5）From the observed facts mentioned above，
it may be concluded that the polar magnetic disturbances are due to the motion of electrical charge along the lower border of aurorae caused by anomalous ionization in the lower ionosphere， which results in either ionospheric blackout or increase in $f E s$ ．

## Reference

1）Omholt A．：Journ．Atmos．Terr．Phys． 7， 73 （1955）．

# MAGNETIC VARIATION ON THE ANTARCTIC OCEAN NEAR SYOWA BASE＊ 

Takeharu KUMAGORI＊＊，Hiroshi SUZUKI＊＊＊and
Saburo YANAGAWA＊＊＊

## 昭和基地周辺における海上の磁気偏差＊

熊 凝 武 晴＊＊•鈴木 祜＊＊＊•柳 川 三 郎＊＊＊

## Introduction

In the case of using the magnetic compass for sailing，we must know the compass error between the compass north and the meridian． This compass error consists of the variation，the deviation and the mechanical errors of the compass itself．We report about the result of the magnetic variation observed in the Antarctic ocean near Syowa Base．

## Measurement

The magnetic variation is the difference between the true meridian and the magnetic
＊Printed in the Journal of the Tokyo Uni－ versity of Fisheries（Special Edition），1， No． 3 （1958）．
＊＊Tokyo University of Fisheries．Captain of the Umitaka－maru for JARE，1956－57．
＊＊＊Tokyo University of Fisheries．
meridian，but we must think of the including deviation in it．The true meridian can be easily get by the gyro－compass．
$T$ the true bearing of the ship＇s head
$C$ the compass bearing of the ship＇s magnetic compass
$\delta$ the deviation by the ship＇s head
$V$ the variation
$i$ shows $N, N E, E, S E, S, S W, W, N W$ （8 cardinal points of the compasses）
$T i-C i=\delta i+V$
$1 / 8 \Sigma(T i-C i)=1 / 8 \Sigma \delta i+V$
$V=1 / 8 \Sigma(T i-C i)-1 / 8 \Sigma \delta i$
We calculate the variation $V$ by this formula．
$1 / 8 \sum \delta i \ldots$. practical coefficient of the de－ viation．
$V=1 / 8 \Sigma(T i-C i)-A$
Coefficient $A$ has no connection in the element of the terrestrial magnetism and we can adapt
the value at a place, because it is caused by the induced magnetism of the soft iron in the ship. In case of measurement in the $A$, we use the formula (4) given above.
Of course we must know the variation, on that occasion we can get a good measurement of the variation, if observed on the sea near the land with a known variation.
$T$ is measured by the gyro-compass and it's error was not over $0.3^{\circ}$ by the celestial observation measured every day. Nineteen observations for the variation were done at every midnight from Lat. $67^{\circ} \mathrm{S}$. to Lat. $69^{\circ} \mathrm{S}$., from Long. $20^{\circ} \mathrm{E}$. to Long. $50^{\circ}$ E., when the sea was very smooth. Ship's clock is mean solar time at Long. $45^{\circ} \mathrm{E}$.

## Instrument

1) Magnetic compass

JES (JIS) S165 standard compass.
Magnetic moment 1650 c.g.s. units.

Period ( $H=0.30,15^{\circ} \mathrm{C}$ ) 24 sec .
2) Gyro-compass

Sperry gyro-compass MK14
Compass error $\pm 0.1^{\circ}$
3) Photographic apparatus

When the ship's head steered on eight cardinal points of the magnetic compass on the compass bridge, we must read immediately the index of the master gyro-compass. For this purpose we adapted the photographic method.

## Conclusion

Table 1 shows the result of the residual deviation of standard compass of which deviations were corrected on Tateyama Bay in Japan, where the magnetic variation was $6.0^{\circ}$ westerly. And as we get the zero value coefficient $A$ there, the compass should be best available for measureing the magnetic variation. Then on the position (Lat. $1^{\circ} 48^{\prime} \mathrm{N}$., Long. $122^{\circ} 57^{\prime} \mathrm{E}$.) near the

Table 1. The Result of deviation adjustment at Tateyama Bay.
(Lat. $35^{\circ} 05 .{ }^{\prime} 0 \mathrm{~N}$., Long. $139^{\circ} 46 .{ }^{\prime} 6 \mathrm{E}$.)

| Ship's compass co. | Residual deviations | Coefficients of deviation | Location of adjustor |
| :---: | :---: | :---: | :---: |
| N | $0^{\circ}$ | $\mathrm{A}=0^{\circ}$ | Red fore |
| N E | $0^{\circ}$ | $\mathrm{B}=0^{\circ}$ | starb'd 78 cm |
| E | $0^{\circ}$ | $\mathrm{C}=-0^{\circ} .^{\circ}$ | port 56 cm |
| S E | $+0 .^{\circ} 5$ | $\mathrm{D}=0^{\circ}$ | Red |
| S | $0^{\circ}$ | $\mathrm{E}=0^{\circ}$ | starb'd $58,60,62$, |
| S W | $0^{\circ}$ |  | Flinders' bar $66,68 \mathrm{~cm}$ |
| W | $0^{\circ}$ |  | fore short 1 |
| NW | $-0 . .^{\circ} 5$ |  | Perm alloy |
|  |  |  | both 3 |

Table 2. The Result of deviation adjustment near the magnetic equator.
(Lat. $1^{\circ} 48^{\prime}$ N., Long. $122^{\circ} 57^{\prime} \mathrm{E}$.)

| Ship's compass course | Measured deviation | Residual deviation | Coefficient of deviation | Location of adjustor |
| :---: | :---: | :---: | :---: | :---: |
| N | $+1 .{ }^{\circ} 0$ | $+0 .{ }^{\circ} 1$ | $\mathrm{A}=0^{\circ}$ | Red fore |
| N E |  | $-0 .{ }^{\circ} 1$ | $\mathrm{B}=0^{\circ}$ | starb'd 47.5 cm port $\quad 86.5 \mathrm{~cm}$ |
| E | $+1 .{ }^{\circ} 5$ | $0 .{ }^{\circ} 0$ | $\mathrm{C}=0 .{ }^{\circ} 1$ | Red |
| SE |  | $+0 .{ }^{\circ} 1$ | $\mathrm{D}=0^{\circ}$ | starb'd 59, 61, 63, 65, |
| S | $+3 .{ }^{\circ} 5$ | $-0 .{ }^{\circ} 1$ | $\mathrm{E}=0^{\circ}$ | 67, 69 cm |
| S W | +4. ${ }^{\circ} 0$ | $+0 .{ }^{\circ} 1$ |  | Flinders' bar fore short |
| W |  | $+0 .{ }^{\circ} 1$ |  | Perm alloy |
| NW |  | $+0 .{ }^{\circ} 1$ |  | both $3 \quad 27.5 \mathrm{~cm}$ |

Table 3．The Comparison of variation obtained from the measurement on 16 points \＆ 8 points of ship＇s compass course．

| Ship＇s compass course | $T_{i}-C_{i}$ | Ship＇s compass course | $T_{i}-C_{i}$ |
| :---: | :---: | :---: | :---: |
| N | -47.4 | N N E | -45.5 |
| N E | -48.6 | E N E | -48.9 |
| E | -49.1 | E S E | -47.1 |
| S E | -45.6 | S S E | -43.4 |
| S | -42.1 | W S W | -40.2 |
| S W | -37.7 | WNW | -36.0 |
| W | -37.5 | N NW | -39.1 |
| NW | -41.9 | Variation from 16 measured values |  |
| Variation obtained from 8 measured |  |  |  |
| values was $43 .{ }^{\circ} 7 \mathrm{~W}$ |  |  |  |

magnetic equator，the deviation was obtained as the values of second column，and the residual deviations were as the values of Table 2 after adjusting the the observed deviations at that place．

Measuring the magnetic variation by the formula（4）is better to be made on the many compass courses which equally devided the card by 8 or 16 ．In Table 3 we can compare the measured variations which were obtained at 8 and 16 points of ship＇s compass course．
The measurement on 16 ship＇s compass courses might to more accurate than on eight ship＇s compass，we measured only on eight courses，
since the difference of variation between mea－ sured on eight courses and on 16 courses was only 0.3 degrees in Table 3，and it was smaller than the accuracy 0.5 degrees of navigational use．

Table 4 shows the compass errors（ $T-C$ ）on each ship＇s compass course，and the sea，weather and ship＇s condition．For reference，the co－ efficients of deviation of the magnetic compass are presented in Table 5．Measured variations at each observed position are indicated on Fig． 1．Equal magnetic variation curves by British Admiralty chart and U．S．H．O．chart are added on Fig． 1.

Table 5．Coefficients of standard magnetic compass．

| Coefficient <br> Station No．s | A | B | C | D | E |
| :---: | :---: | :---: | :---: | :---: | :---: |
| A 1 | －48．4 | $-7.5$ | $-3.1$ | 0.0 | 0.1 |
| A 2 | －41．5 | $-7.3$ | $-1.1$ | 0.0 | $-0.1$ |
| A 3 | －39．1 | $-6.5$ | $-2.4$ | 0.3 | 0.5 |
| A 4 | $-36.3$ | $-5.7$ | $-1.5$ | 0.3 | 0.0 |
| A 5 | －39．4 | $-5.9$ | $-0.5$ | 1.5 | 0.3 |
| A 6 | $-36.0$ | $-6.1$ | $-1.0$ | 0.1 | $-0.6$ |
| A 7 | $-36.7$ | $-6.3$ | $-3.2$ | 0.9 | $-0.1$ |
| A 8 | $-35.3$ | － 5.9 | － 2.1 | 0.5 | － 0.1 |
| A 9 | －35．4 | $-5.1$ | $-2.7$ |  |  |
| A10 | $-35.3$ | $-5.8$ | $-0.5$ | 0.6 | 0.1 |
| A11 | $-34.5$ | － 6.9 | $-0.4$ | 1.0 | 0.9 |
| A12 | $-42.7$ | － 5.2 | －1．2 | 0.0 | 0.9 -0.1 |
| A13 | －43．9 | － 5.6 | $-1.2$ | 1.0 | -0.1 -0.1 |
| A14 | -43.7 -45.9 | － 5.5 | － 2.6 | 0.3 | －0．7 |
| A15 | －45．9 | $-5.6$ | $-2.8$ | $-0.6$ | 0.3 |
| A16 | －39．9 | $-5.7$ | $-2.8$ | $-0.2$ | 0.1 |

Table 4. Table of measured variation.

| Station No. s |
| :--- |
| Date |
| Time |
| Latitude |
| Longitude |



Fig. 1. Magnetic variation chart.

Comparing these variations, the difference and values of the measured variations for the variable position were likely the ones of the Admiralty chart. Consequently, the measured variations shall be sufficiently practical for navigational use.

Though the magnetic variation had never been
measured on steel ship for the reason of ship's deviation, we observed the variation on 16 positions in the Antarctic Ocean, by making use of swinging the ship. Though the results are not always extremely accurate, it seems to provide sufficiently practical accuracy for navigational, purpose.

